

Un principe de contrôle et différents agents

1. Effet de l'âge sur un principe de contrôle

Age-related decline in sensory processing for locomotion and interception¹¹

ABSTRACT

The ability to control locomotion through the environment and to intercept, or avoid objects is fundamental to the survival of all locomotor species. The extent to which this control relies upon optic flow, visual direction cues or non-visual sensory inputs has long been debated. Here we look at the use of sensory information in Young and Middle-aged participants using a locomotor-driven interceptive task. Both groups of participants were asked to produce forward displacements in more or less impoverished environments by manipulating a joystick and to regulate, if necessary, their displacement velocity so as to intercept approaching targets. We show that the displacements produced by the Middle-aged participants were more nonlinear in comparison with Young participants. The errors in the Middle-aged group can be accounted for by a constant bearing angle (CBA) model that incorporates a decrease in the sensitivity of sensory detection with advancing age. The implications of this study to a better understanding of the mechanisms underlying the detection of the rate of change in bearing angle are discussed.

¹¹ François, M., Morice A.H., Blouin J. & Montagne, G. (*in press*), Age-related decline in sensory processing for locomotion and interception. *Neurosci* doi:10.1016/j.neuroscience.2010.09.020

INTRODUCTION

What perceptual-motor organization is involved in the control of goal-directed locomotion? This question has motivated a large number of studies over the last decade, which have led to important insights into the underlying mechanisms (e.g., Bastin, Craig, & Montagne, 2006b; Fajen & Warren, 2007; Rushton, Harris, Lloyd, & Wann, 1998; Warren, Kay, Zosh, Duchon, & Sahuc, 2001; Wilkie & Wann, 2002). Taken together, these studies have shown that participants can take advantage of the perceptual information available in the perceptual flow produced by their displacements, so as to produce on line locomotor adjustments. This perceptual-motor dialogue can be formalized through task-specific laws of control linking a movement parameter to a perceptual information (Warren, 1988, 2006). The underlying idea of such laws, which express the circularity of the relations between information and movement, is that some invariant properties in the perceptual flow specify the current state of the relationship linking an agent to his/her environment. This dynamically updated relationship would allow functional locomotor adaptations to take place, which in turn would modify the perceptual flow, and so on and so forth.

Following this logic, specific laws of control have been shown to account for the regulation behavior of participants performing heading tasks (Warren et al., 2001; Wilkie & Wann, 2003), locomotor pointing tasks (Warren, Young, & Lee, 1986) or interceptive tasks (Chardenon et al., 2004). Interceptive tasks have deserved a special interest, not only because many daily activities rely on the ability to intercept and/or to avoid moving objects (in sport, in driving, or while walking in a crowded street), but also because they can provide insights about the central control of actions characterized by severe spatial-temporal constraints. It has been suggested that individuals intercepting moving targets rely on a law of control (Equation 1) which links the subjects' acceleration to the rate of change in bearing angle (Chapman, 1968; Chardenon, Montagne, Buekers, & Laurent, 2002; Lenoir, Musch, Thiery, & Savelsbergh, 2002, see Figure 47). The bearing angle corresponds to the angle subtended by the current position of the target and the direction of the subjects' motion. This type of strategy for controlling self-displacements during interceptive tasks is known as the constant bearing angle (CBA) strategy.

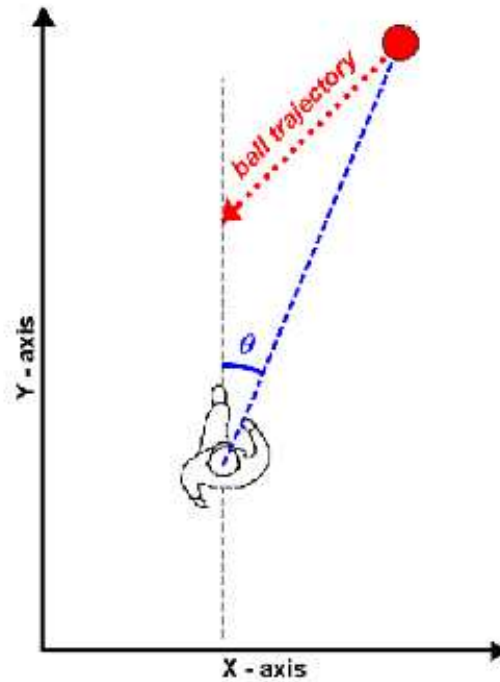


Figure 47 : Bird's eye view of the experimental layout. Participants produced forward displacements on a rectilinear path and aimed to intercept balls that crossed their displacement axis with an angle of 45° . Optical angle of interest is the bearing angle θ .

Using the CBA strategy, the moving object will be intercepted if the observer cancels any change in the bearing angle by accelerating or decelerating accordingly. An increase in bearing angle informs the participant that he/she will reach the interception point before the target and tells him/her to decelerate accordingly. Conversely, a decrease in bearing angle informs the participant that the object will reach the interception point before him/her and prompts him/her to accelerate accordingly. Finally when the bearing angle is kept constant, no change in velocity is required to intercept the target. The participant will intercept the moving object if he/she succeeds in maintaining his/her current velocity. The CBA strategy can be modeled by relating the participant's acceleration to the rate of change of the bearing angle, with a damping term allowing the system to match the required value smoothly and to avoid oscillations around the stable state (Bastin et al., 2006b; Fajen & Warren, 2003; Wann & Wilkie, 2004) (Equation 1):

$$\ddot{Y} = k_1 \times \frac{1}{1 + 200 \times e^{(-10 \times t)}} \times \dot{\theta} + k_2 \times \dot{Y} \quad (\text{Equation 1})$$

In this equation, \dot{Y} and \ddot{Y} are the participant's speed and acceleration, respectively, $\dot{\theta}$ is the rate of change of the bearing angle, k_1 is a parameter that modulates the strength of the coupling between the acceleration and the rate of change of the bearing angle, and k_2 is a parameter that modulates the strength of the damping term. The function $\frac{1}{1 + 200 \times e^{(-10 \times t)}}$ is an activation function.

The use of the CBA strategy has been evidenced in studies which have manipulated task constraints such as ball speed (Lenoir et al., 2002), angle of approach (Chardenon et al., 2005) or ball trajectory curvature (Bastin et al., 2006b). In these studies, the CBA model could explain as much as 80 % of the total kinematics variance. Interestingly, the CBA strategy can also explain children's (from 10 to 12 years old) locomotor behavior while intercepting moving balls (Chohan, Verheul, Van Kampen, Wind, & Savelsbergh, 2008) and locomotion produced by different animal species (fishes, dragonflies) while intercepting prey (Lanchester & Mark, 1975; Olberg et al., 2000)

Since the generalization of the CBA strategy appears well established, recent investigations have focused on the type of information that the brain uses for detecting the rate of change in bearing angle. The global optic flow field produced by the moving observer has been identified as a power source of information for detecting this rate of change (*optic flow signals*) (Chardenon et al., 2004). Indeed, because the focus of expansion specifies the direction of the observer's motion, an easy way to detect the bearing angle is to relate the current position of the mobile to the focus of expansion. The detection of the bearing angle remains possible, however, in the absence of optic flow, provided that the observer is able to relate the current position of the object to his/her midline body axis. This egocentric frame of reference is built through the integration of body-related signals, in particular those coming from the vestibular apparatus and from the extra-ocular and neck muscles (Blouin, Teasdale, & Mouchnino, 2007; Jeannerod, 1991; Paillard, 1987). Moreover, the accuracy with which participants refer a moving object with respect to their body can be improved when body-fixed visual references are present in the environment (e.g., a dashboard when driving, a handlebar when cycling; Wilkie & Wann, 2002).

Several studies have been designed to determine how the different sources of

information are integrated for detecting the rate of change in bearing angle (Chardenon et al., 2004; Fajen & Warren, 2004). These studies are all based on the same methodology which involves in rendering irrelevant a given source of information (e.g., the focus of expansion no more specifying the actual direction of displacement) and recording the behavioral consequences of this experimental manipulation. Such information manipulation has been achieved, for instance, by laterally displacing the ground plane during self displacement in virtual reality, so as to make irrelevant the position of the focus of expansion (Chardenon et al., 2004), by displacing visual landmarks materializing the midline body axis (Bastin & Montagne, 2005) and by vibrating the neck muscles (Bastin et al., 2006a) in order to bias the egocentric encoding of the target motion direction. Taken together, these studies have shown that the different perceptual signals contribute jointly to the detection of the rate of change in bearing angle. However, the weighting of the signals during this integrative process appears highly context-dependent. The optic flow signal would have the greatest weight when the visual environment is well structured (Bastin & Montagne, 2005; see Warren et al., 2001 for a similar result with heading tasks). In visually impoverished environments, the egocentric frame of reference would gain in importance (Bastin et al., 2006a).

It is worth noting that all the experiments reviewed so far put the emphasis on the perceptual-motor mechanisms allowing young adults to control goal-directed locomotion. In the present experiment, we focused on the much less documented effect of age on these control mechanisms. Ageing is generally associated with a decrease in performance in various sensorimotor tasks, including interceptive tasks (Spirduso & Mc Rae, 1990). This performance decline is known to appear even in moderately advanced age (e.g., 50-60 years, Sarlegna 2006). Factors contributing to the elders' deficit in intercepting moving objects could include increased perception thresholds in the detection of motion (Andersen & Enriquez, 2006; Tran, Silverman, Zimmerman, & Feldon, 1998; Warren, Blackwell, & Morris, 1989) especially for translational motion (Billino, Bremmer, & Gegenfurtner, 2008). Here we tested whether providing visual information that is known for being informative of the speed and direction of the participant's displacement (e.g., optic flow, body-fixed visual landmark) can help Middle-aged adults to compensate, at least partly, for the deteriorating effect of ageing during an interception task. We also tested young adults for comparison. The second (related) aim of the experiment was to test to what extent the bearing angle strategy (Equation 1) could account for the locomotor adjustments produced by the two groups of participants.

METHOD

Participants

Fourteen females, self-declared right-handed and having normal or corrected-to-normal vision participated to the experiment. They were divided into two experimental groups: Young ($N = 8$, 23.8 ± 2.1 years old) and Middle-aged ($N = 6$, 57.8 ± 2 years old) adults. The subjects gave their informed consent before participating in the experiment. They all had normal or corrected-to-normal vision. A local ethics committee approved the experimental protocol.

Apparatus

The virtual reality set-up (Figure 48) consisted of two PC Dell workstations (Optiplex GX 240), a joystick (Saitick AV8R), a Barco video-Projector (BARCO IQ R500, refreshing rate: 60 Hz) and a 2.3-m high \times 3-m wide projection screen. The visual scene was projected on the screen, placed 0.70 m in front of the seated participants (providing a $117^\circ \times 130^\circ$ field of view). Participants held an analog 2-directions joystick in their right hand with their arm resting on a table. Participants could increase (decrease) their forward acceleration by pushing (pulling) the joystick from the neutral initial position up to an acceleration (deceleration) of 0.75 m/s^2 (-0.75 m/s^2). Resulting speed was bounded from -0.8 m/s to 3.2 m/s , corresponding to the human span of walking speed. When the joystick remained in neutral position, no acceleration or deceleration occurred, allowing to keep the current velocity constant. Participants wore glasses to prevent them from seeing both the joystick and their own hands. The position of the joystick was sampled at 200 Hz and sent to a host computer which computed on-line the position of the participant in the virtual world. From this position data, the visual scene was projected onto the screen by the video projector.

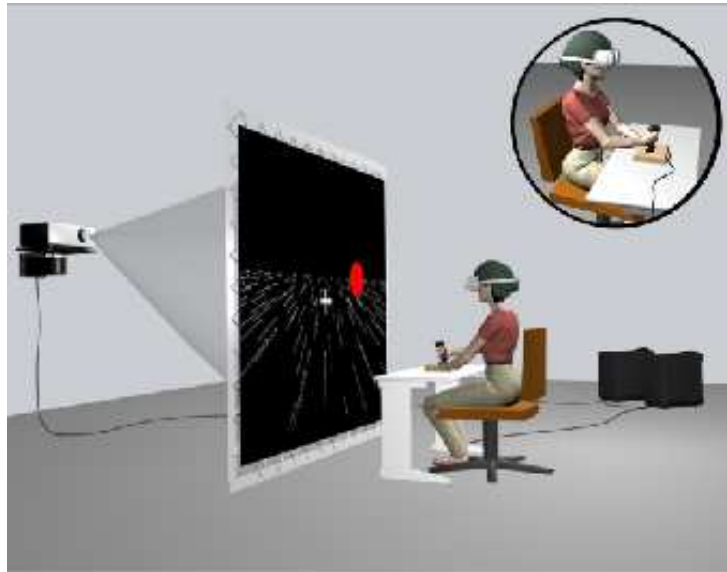


Figure 48 : General overview of the virtual reality set-up. Participants seated in front of a large projection screen and controlled their displacement acceleration via a joystick. Resulting velocity was integrated and coupled to the projected visual scene, so that visual scene displacements were proportional to the participants' current speed. Participants wore goggles that prevented them from seeing the joystick position.

Experimental procedure

The experiment was divided into three sessions. The first session allowed the participants to calibrate themselves with the joystick action and with its visual consequences. In this 3-minutes session, participants were immersed in a virtual corridor and were instructed to regulate their velocity so as to keep a constant distance between them and a large virtual textured ball (2 m diameter) rolling on the floor along a straight line at varying velocities (from 0.52 to 3.82 m/s). All participants showed no difficulties in performing this task.

The second session was designed to familiarize the participants with the experimental task. Participants were asked to produce forward displacements in the virtual environment and were instructed to intercept the targets (red untextured spheres, 0.22 m diameter), which moved toward them obliquely (i.e., 45° prior to the participant's displacement) at eye level. They were simply instructed to regulate their velocity in order to intercept the targets with their head when the targets crossed their displacement axis. At the end of each trial, the participants were informed of the distance separating their head from the ball when it crossed their axis of displacement. Positive and negative signs were given when the ball crossed the axis in front or behind the participants, respectively. This session lasted 10 minutes.

The third session was the experimental session and task requirements remained unchanged compared with the task familiarization session. However, no knowledge of results regarding the participants' performance was provided.

Independent variables

In both the familiarization and experiment tasks, we manipulated the offset of the ball (three levels). The three different offset modalities (-2.5 m, +0.2 m and +2.5 m) corresponded to three different initial ball-to-participant distances along the Y axis (5.5 m, 8.2 m and 10.5 m). The offset conditions were used to vary the target arrival position along the subject's displacement axis (Figure 49A), diminishing the possibility of predicting the interception point from the start of the trial, and favoring thus the online control of the displacement velocity. As consequences of the three offsets, keeping the initial displacement velocity (set at 1 m/s) unchanged, would result in the ball passing respectively 0.2 m and 2.5 m in front of the head of the participants for the 8.2 m and 10.5 m initial ball distances, and 2.5 m behind their head in the 5.5 m initial distance.

We also manipulated the visual content of the virtual Environment (four levels) in both the familiarization and experiment tasks. In the so-called *Empty* condition, only the ball was visible (Figure 49B). In this condition, the bearing angle could only be determined by relating retinal information of the target to extra-retinal signals (e.g., proprioception and oculomotor). In the hereinafter called *Landmark* condition, a grey cross (0.2 m × 0.2 m) depicting the midline body axis (which coincided with the axis of displacement) appeared on the screen at about shoulder level. The presence of a body-fixed landmark is believed to enhance the egocentric frame of reference. In the *Ground* condition, the ground plane was textured (extensionless, randomly distributed dots, 0.65 dots/m²), allowing participants the use of the optic flow to control their displacements. Finally, the cross and the textured ground plane were displayed in the *Full* condition, making available all previously cited visual and non-visual sources of information. The 12 experimental conditions (3 Offsets × 4 Environments) were repeated ten times each, giving rise to a total of 120 trials, randomly presented for each participant. The experimental session lasted approximately 30 minutes.

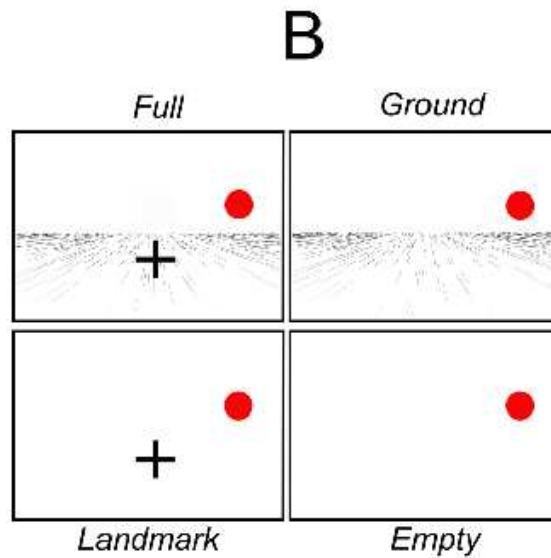
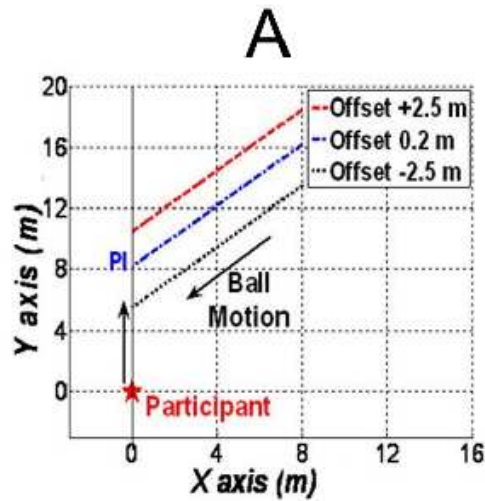


Figure 49 : (A) Bird's eye view of the ball trajectory and interception points (*IP*) as a function of the three offset conditions (in dotted, plain and dashed line for the -2.5 , $+0.2$ and $+2.5$ m offset conditions, respectively). (B) Representation of the different environment conditions (*Empty*, *Landmark*, *Ground* and *Full*). Screenshots are depicted with inversed colors.

Data analysis and dependent variables

The data were analyzed with regard to performance outcome, movement kinematics and perceptual-motor strategies involved.

Performance.

Performance was computed in two different ways. The final Y-positions of participants along the Y-axis were cumulated and the percentages of trials displaying undershoots or an

overshoots of the interception point (IP) were computed. The absolute error (AE) was computed in two different ways. The absolute error was computed as the minimal Euclidian distance between the center of the head and the center of the ball (1) at the moment at which the ball crossed the axis of displacement (i.e., 8 s after the ball appearance) or (2) at any moment during the trial.

Kinematics.

The time series of individual velocity (\dot{Y}) profiles were averaged over intervals of 500 ms giving rise to 16 time intervals (see Bastin et al., 2006b; Bastin, Jacobs, Morice, Craig, & Montagne, 2008; Morice, Francois, Jacobs, & Montagne, 2010 ; Warren et al., 2001, for a similar methodology). Individual mean acceleration (\ddot{Y}) profiles were also computed and analyzed so as to identify the number of zero-crossings ($ZC_{\ddot{Y}}$). The number of zero crossings reflects the smoothness of a trajectory as it reveals the number of successive acceleration/deceleration cycles during the displacement. For each trial, we picked out the number of zero crossings (from 1 to 5) and we classified the trial accordingly. For each subject, the number of trials found in each category was expressed as a percentage of the total number of $ZC_{\ddot{Y}}$, so as to compare the two groups of participants.

Perceptual-motor strategy.

Two types of analyses were performed to test how participants relied on the rate of change of the bearing angle. A rate of change of the bearing angle that remains null during the course of a trial would be in agreement with the use of the CBA strategy. To determine whether the participants used such a strategy to control their displacement during the interceptive task, we first examined the time course of the first derivative of the bearing angle ($\dot{\theta}$) and to what extent their values were kept constant by the Young and Middle-aged participants.

We thus computed the second derivative of the bearing angle ($\ddot{\theta}$) and looked at the time at which it crossed zero ($ZC_{\ddot{\theta}}$)¹² and also reported the corresponding values of $\dot{\theta}$ at the $ZC_{\ddot{\theta}}$ times.

Subsequent analyses compared the kinematics predicted by the CBA model with the observed kinematics computed by averaging individual displacement velocity profiles recorded for each group. Predicted kinematics were obtained as follow. The best-fitting set of parameters k_1 and k_2 (Equation 1) were first determined separately for each Offset, Environment and Group. Forty hundred combinations of parameter values were used (k_1 was varied from -0.95 to 0 in increments of 0.05 and k_2 from 0 to 0.95 in increments of 0.05) to solve Equation 1 with a Runge–Kutta procedure¹³. The initial mean position and speed of the participant and target were used as input variables. Numerical simulations were done on the complete trial duration (i.e., 8 s). The goodness of the observed data's fits provided by predicted kinematics were investigated through both the percentages of variance accounted for (R^2) and the Sum of Squares Error (SSE) between the predicted and observed curves. Predictions were thus obtained for each group and experimental condition. Secondly, the best set of k_1 and k_2 parameters, common for all offset conditions, but customized to each group and each environment was determined separately by comparing the SSE between best predicted and observed kinematics.

Statistics

For each dependant variable, individual mean values were submitted to analyses of variance (ANOVA).

Discrete variables (Absolute Error (AE) and Zero Crossings ($ZC_{\ddot{\theta}}$))

The effect of both Group and Environment factors on AE and $ZC_{\ddot{\theta}}$ individual means computed from the healthy participants were tested with two-ways ANOVAs (2 Groups \times 4

¹² Zero-crossings of the second derivative of the bearing angle ($ZC_{\ddot{\theta}}$) reveal changes occurring in the dynamics of the first derivative of the bearing angle.

¹³ We used the automatic step-size Runge-Kutta-Fehlberg integration method provided by the “ode23” Matlab[®] function.

Environments) with Groups [Young, Middle-aged] as a between-participants factor and Environments [Full, Ground, Landmark and Empty] as a within-participants factor.

Kinematics

Separate three-ways ANOVAs with Environments [Full, Ground, Landmark and Empty], Offsets¹⁴ [-2.5, 0.2 and +2.5] and Time Intervals [16 intervals] as within-participant factors were performed on displacement velocity profiles for each group separately (i.e., Young, Middle-aged).

Partial effect sizes were computed (η_p^2) and post hoc comparisons were conducted using Newman-Keuls tests. The p value for statistical differences was set at 0.05¹⁵.

Predictions

Because different visual and non-visual sources of information may influence the detection of the rate of change in bearing angle, specific predictions can be made if the participants rely on a CBA strategy depending on the visual content of the environment and the groups of participants. The literature revealed that the different types of perceptual signals are redundant as they allow interceptive tasks to be performed whatever the perceptual content of the environment. Young adults should be able to perform the task with a good accuracy whatever the environment. Middle-aged participants should exhibit a general decrease in their overall performance due to the well-documented increased perception thresholds inducing an impairment in their capacity for detecting motion. Nevertheless, the availability of several sources of information in the rich condition could allow them to compensate, at least partly, this deterioration. Finally it is also reasonable to anticipate that the behavior produced by the Middle-aged participants should be jerkier than the behavior

¹⁴ As mentioned previously, the manipulation of the offset factor was introduced in order to favor the online control of the displacement velocity. As a consequence, no effect of the offset factor on performance was expected and this factor was not included from statistical analyses. Conversely, an effect on kinematics was expected and the factor offset was introduced in the analyses.

¹⁵ 10 % of trials performed by each population were excluded from all analyses (trials with an AE > 1.1 m for Young and Middle-aged participants). All remaining trials (successful and unsuccessful) were used in the analyses.

produced by Young participants.

RESULTS

Performance

The panel A of the Figure 50 depicts the frequency distributions of participant's final Y-positions (i.e., participant's positions along the Y-axis at time $t=8$ s, when the ball crossed the participant's displacement axis) cumulated across trials for the three offset conditions as compared to the position of the Interception Point (IP equal to 5.5, 8.2 and 10.5 m for the -2.5, +0.2 and +2.5 m Offset conditions). For all Offset conditions, the frequency distributions of Young participant's final Y-positions display sharpen peaks, spreading over 0.5 m forward and backward to the IP, whereas the middle aged distributions of final Y-positions were relatively flat and were spread up to 2 m forward and backward the IP. Distributions of final Y-positions show that, in average, Young participants slightly less overshoot the IP (final Y-positions equal to 5.60, 8.32 and 10.6 m) than did Middle-aged participant's (final Y-positions equal to 5.69, 8.38 and 10.63 m). Such overshoot occurred more often for Young participants than for Middle-aged participant's (71.63 vs. 58.29 % of trials). More generally, such distributions of trials, in which the IP was sometimes overshoot and sometimes undershot (especially for Middle-aged participants) do not indicate a systematic bias toward the IP.

The panel B of Figure 50 displays the absolute errors (AE) computed in two ways for the two groups in the different Environment conditions. We first considered absolute errors as the Euclidian distance between the agent and the ball at the moment at which the ball crossed the participant's displacement axis (dotted bars). This criterion indicated that Young participants were able to intercept the targets with their head at time $t = 8$ s as instructed (mean AE equal to 0.14 m) whereas Middle-aged participants were only able to virtually catch the targets with their arms (mean AE equal to 0.43 m). To control that Middle-aged participants succeeded in the task by overcoming the instructions and by only attempting to intercept targets at any moment of the trials, we also computed absolute error as the minimum Euclidian distance between the agent and the ball at any moment during the overall trial course (plain bars).

The ANOVA (2 Groups \times 4 Environments) performed on the AE mean values (computed with the latter definition) revealed a significant main effects of Group

($F_{(1, 12)} = 134.41, p < .05, \eta^2_p = 0.92$) and Environment ($F_{(3, 36)} = 11.57, p < .05, \eta^2_p = 0.49$). The Environment \times Group ($F_{(3, 36)} = 6.25, p < .05, \eta^2_p = 0.34$) interaction was also significant. Post-hoc analysis revealed that Young participants were more accurate than Middle-aged participants (0.10 ± 0.03 m vs. 0.26 ± 0.03 m) showing thus that, because the latter errors were appreciatively similar to a head diameter, Middle-aged participants succeeded in the task. *A posteriori* comparisons also revealed that, while the performance of Young participants did not significantly vary between the different environments ($p > .05$), Middle-aged participants were more accurate in the *Full* environment than in the other environments and were the least accurate in the *Empty* environment (0.21 m \pm 0.03 , 0.26 m \pm 0.01 , 0.26 m \pm 0.04 and 0.31 m \pm 0.05 m for the *Full*, *Ground*, *Landmark* and *Empty* conditions, respectively; $p < .05$).

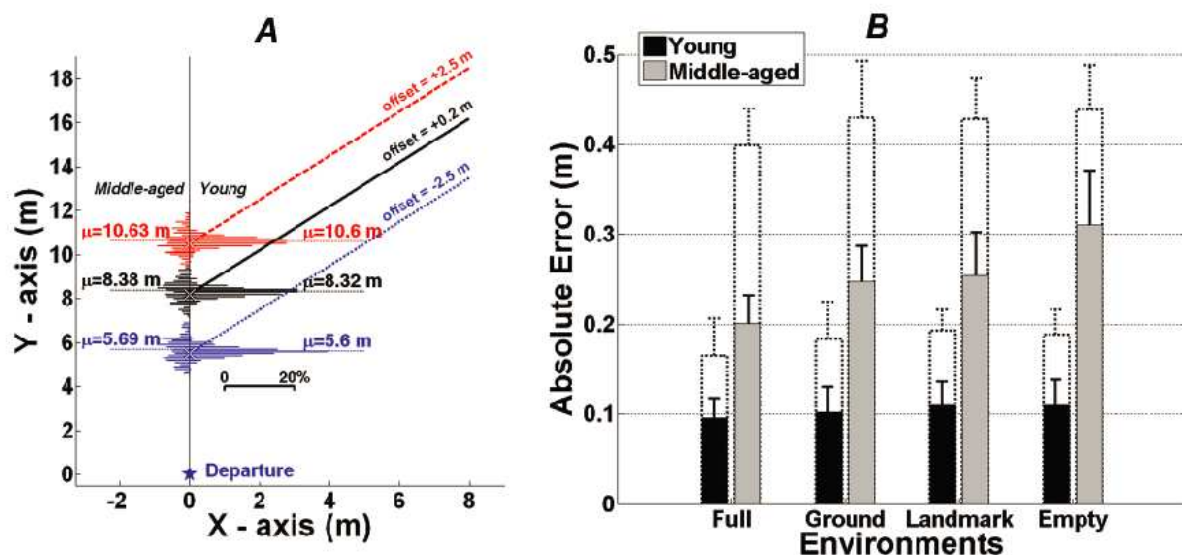


Figure 50 : (A) Frequency distribution of participant's final Y-positions (i.e., participant's positions along the Y-axis at time $t=8$ (s), when the ball crossed the participant's displacement axis) binned each 0.1 m and cumulated across trials performed in the four Environment conditions for the two groups of participants and for the three offset conditions (-2.5, +0.2 and +2.5 m). The distributions of Young and Middle-aged participant's final Y-positions are depicted on the right and left sides of the displacement axis, respectively. The horizontal scale (from 0 to 20%) describes the frequency at which final Y-positions occurred for each bin. The average values of final Y-positions (μ) are reported and depicted with a dotted line. (B) Absolute Error as a function of Environment conditions (*Full*, *Ground*, *Landmark* and *Empty*) for each Group (Young, Middle-aged). Two computations of Absolute Error are displayed in B. The plain bars depict the absolute error computed from the agent-ball distance at time $t=8$ (s). The additional dotted bars represent the absolute error computed from the minimum of the agent-ball distance across the overall time-course of the trial. Vertical bars depict the standard deviation of mean values

Kinematics

Three-ways repeated measures ANOVAs (4 Environments \times 3 Offsets \times 16 Time Intervals) on velocity profiles (Figure 51A) were performed separately for both groups of participants (*cf.* Table 1).

Table 1 : Results of the three-ways ANOVAs (4 Environments \times 3 Offsets \times 16 Time Intervals) performed on displacement velocity separately for each Groups of participants (Young, Middle-aged).

	Groups			
	Young		Middle-aged	
	ANOVA	η^2_p	ANOVA	η^2_p
<i>Offset</i>	$F_{(2, 14)} = 51608.2, p < .05^*$	0.99	$F_{(2, 10)} = 1986.46, p < .05^*$	0.99
<i>Environment</i>	$F_{(3, 21)} = 8.04, p < .05^*$	0.53	$F_{(3, 15)} = 4.25, p > .05$	0.46
<i>Time</i>	$F_{(15, 105)} = 6.03, p < .05^*$	0.46	$F_{(15, 75)} = 2.73, p < .05^*$	0.35
<i>Environment \times Offset</i>	$F_{(6, 42)} = 0.84, p > .05$	0.11	$F_{(6, 30)} = 1.93, p > .05$	0.28
<i>Offset \times Time</i>	$F_{(30, 210)} = 18, p < .05^*$	0.72	$F_{(30, 150)} = 4.62, p < .05^*$	0.48
<i>Environment \times Time</i>	$F_{(45, 315)} = 5.87, p < .05^*$	0.46	$F_{(45, 225)} = 0.39, p > .05$	0.07
<i>Offset \times Environment \times Time</i>	$F_{(90, 630)} = 0.61, p > .05$	0.08	$F_{(90, 450)} = 0.42, p > .05$	0.08

Young participants. Analyses performed on individual mean velocity profiles revealed significant main effects of Offset ($p < .05$, $\eta^2_p = 0.99$), Environment ($p < .05$, $\eta^2_p = 0.53$) and Time Interval ($p < .05$, $\eta^2_p = 0.46$). Moreover, both the Offset \times Time Intervals ($p < .05$, $\eta^2_p = 0.72$) and Environment \times Time Intervals ($p < .05$, $\eta^2_p = 0.46$) interactions were also significant. *A posteriori* comparison revealed that significantly different velocity profiles were produced in the three Offset conditions during the last 6 seconds of the trial ($p < .05$) (Figure 51A). The velocity changes were in accordance with the task requirements, with positive offset conditions giving rise to a higher overall displacement velocity in comparison with the negative offset conditions, and with intermediate offset conditions giving rise to intermediate

displacement velocity profiles ($p < .05$). Moreover, Young participants produced similar displacement velocity profiles in all environment conditions ($p > .05$) except during the very last Time interval (i.e., close to ball contact) in which the velocity produced in the *Empty* condition was higher than that produced in the other conditions.

Middle-aged participants. Analyses performed on individual mean velocity profiles revealed significant main effects of Offset ($p < .05$, $\eta^2_p = 0.99$) and Time Intervals ($p < .05$, $\eta^2_p = 0.35$) but no significant main effect of Environment ($p > .05$, $\eta^2_p = 0.46$). Moreover, Offset \times Time Intervals ($p < .05$, $\eta^2_p = 0.48$) interaction was also significant. *A posteriori* comparisons revealed that significantly different velocity profiles were produced in the three Offset conditions during the last 6 seconds of the trial ($p < .05$) (Figure 51A). Once again the velocity changes were in accordance with the task requirements. Moreover it is worth noting that contrary to the other participants, the Middle-aged participants decelerated systematically at the very beginning of the trial, whatever the offset conditions, before producing adaptive velocity changes.

Taken together, these results show that the velocity profiles exhibited by both Young and Middle-aged groups of participants are highly affected by the Offset but only marginally by the Environment. At a more descriptive level, it is also worth noting that the velocity adaptations produced by Young participants are very smooth, contrary to those produced by Middle-aged participants. One can finally notice that the Middle-aged participants sometimes even produced backward displacements in the negative offset condition which was never produced by Young participants.

We further analyzed the displacement kinematics by counting the number of zero crossings ($ZC_{\ddot{y}}$) exhibited in the acceleration profiles. The number of $ZC_{\ddot{y}}$ is indicative of whether the displacement adaptations are gradual (very few $ZC_{\ddot{y}}$) or conversely nonlinear (numerous $ZC_{\ddot{y}}$) (Figure 51B).

Two-way ANOVA (4 Environments \times 2 Groups) with repeated measures on the Environment factor performed on the individual mean number of $ZC_{\ddot{y}}$ performed by Young and Middle-aged groups of participants revealed a significant main effect of Group ($F_{(1, 12)} = 5.20$, $p < .05$, $\eta^2_p = 0.99$), but no significant main effect of the Environment factor ($F_{(3, 36)} = 0.3$, $p > .05$, $\eta^2_p = 0.02$). Young participants produced less $ZC_{\ddot{y}}$ than the Middle-aged ones (2.60 ± 0.63 vs. 2.99 ± 0.39).

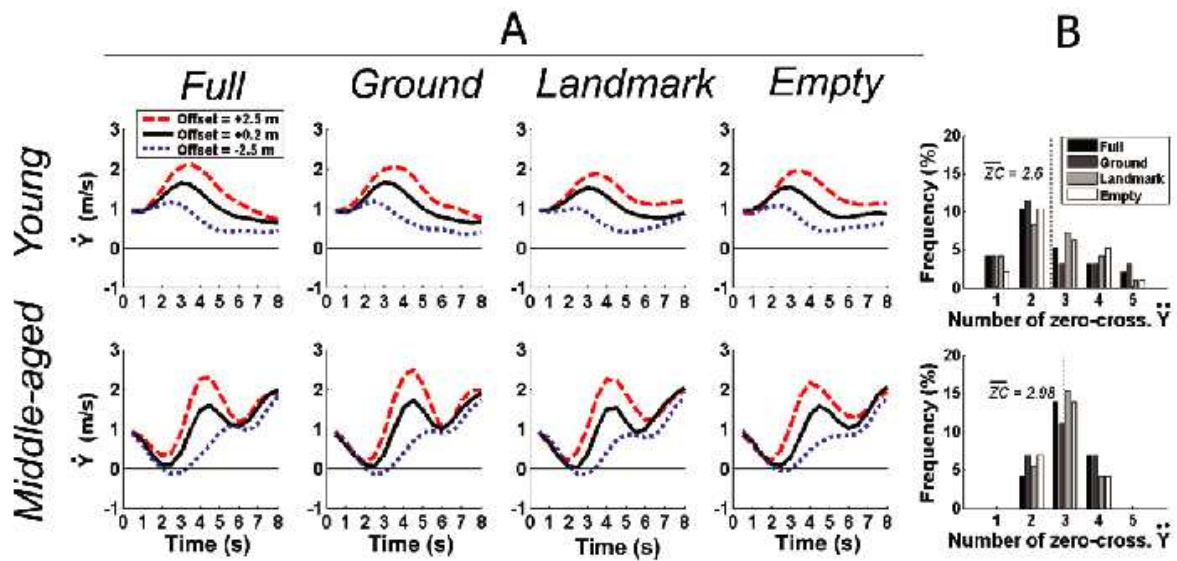


Figure 51 : (A) Displacement velocity profiles exhibited by the two groups of participants (Young, Middle-aged) in the four environment conditions (*Full*, *Ground*, *Landmark* and *Empty*). (B) Average frequency of zero crossings acceleration ($ZC\dot{y}$) occurrence (from 1 to 5 by trial on average) cumulated over participants. The mean values are reported with a dotted line.

Perceptual-motor strategy

In order to investigate to what extent the constant bearing angle strategy can account for the velocity profiles previously described for the two groups of participants, we analyzed the time course of the bearing angle's first derivative ($\dot{\theta}$) for Young (Figure 52, panel A) and Middle-aged participants (Figure 52, panel B) in the three offset conditions¹⁶. Qualitative inspection of the time course of the rate of change of the bearing angle ($\dot{\theta}$) did not show linear profiles, as predicted by the CBA strategy when intercepting balls approaching along straight paths, but rather wave-like profiles. These $\dot{\theta}$ profiles differed with ageing concerning its average values, times at which peaks and valleys occurred and finally amplitudes between peaks and valleys. Concerning the average values of $\dot{\theta}$ profiles, the main panels of Figure 52 show that whereas Young participants kept in average $\dot{\theta}$ values above zero (around 0.76, 0.96 and 1.00°/s for the -2.5, +0.2 and +2.5 offset conditions, respectively), Middle-aged participants let the values of $\dot{\theta}$ evolving below zeros (around -1.38, -0.99 and -0.67°/s for the -2.5, +0.2 and +2.5 offset conditions, respectively) until the last second of trials. Then, the

¹⁶ Given that ball paths were identical and that velocity profiles of Young and Middle-aged did not significantly differ between environment conditions, we averaged the time course of the bearing angle's first derivative across environment conditions at each 0.5 s interval.

rate of change of the bearing angle suddenly increased above zero¹⁷. Such negative values of the rate of change of the bearing angle during the first 7 s indicate that Middle-aged participants were late compared to the target displacements during the main part of the trials. Note also that the middle values of $\dot{\theta}$ profiles are affected by the offset conditions, especially for Middle-aged participants.

Times at which peaks and valleys occurred in individual $\dot{\theta}$ profiles and amplitudes between these peaks and valleys were then analyzed by computing the zero-crossing exhibited by the second derivative of the bearing angle ($ZC_{\ddot{\theta}}$) in individual profiles. This allowed us to determine when Young and Middle-aged participants conducted $\dot{\theta}$ values toward its average values and to what extent they kept $\dot{\theta}$ values constant.

Times at which peaks and valleys occurred in individual $\dot{\theta}$ profiles were analyzed by plotting below each panel of the Figure 52, the frequency distributions of $ZC_{\ddot{\theta}}$ as a function of corresponding trial time for Young and Middle-aged participants. These distributions of $ZC_{\ddot{\theta}}$ plotted as a function of trial time showed that, when excluding the first and last 0.5 s, Young participants adjusted the $\dot{\theta}$ values at two times (around 3.5 s and 6.5 s) before reaching the interception point. On the other hand, Middle-aged participants performed adjustments of $\dot{\theta}$ values at three times (around 2.5, 4 and 6 s). The frequency distributions $ZC_{\ddot{\theta}}$ as a function of trial time consequently well mirrored the number of zero crossings exhibited by both groups in their acceleration profiles (see previous analyses of $ZC_{\ddot{\gamma}}$).

Amplitudes between peaks and valleys displayed by Young and Middle-aged participants were analyzed by plotting on the right of each panel of the Figure 52 the frequency distributions of $ZC_{\ddot{\theta}}$ as a function of corresponding $\dot{\theta}$ values in individual profiles. Interestingly, the frequency distributions of $ZC_{\ddot{\theta}}$ as a function of $\dot{\theta}$ values display an obvious bimodal distribution for both Young and Middle-aged participants, in which higher and lower modes corresponds to the bounds within which $\dot{\theta}$ values are kept during the trial. However, the amplitude between the values of higher and lower modes differs with ageing. Indeed, for Young participants, $\dot{\theta}$ values are comprised between higher and lower

¹⁷ The final asymptote described by the bearing angle's first derivative is an unrealistic artifact that occurs for very near targets due to the use of trigonometrical functions. As a consequence, the features of the bearing angle's first derivative that occurred during the last second of trials were not considered.

values equal to $+0.75^\circ/\text{s}$ and $-0.25^\circ/\text{s}$. On the contrary, for Middle-aged participants, $\dot{\theta}$ values are comprised between higher and lower values equal to $+0.5^\circ/\text{s}$ and $-2.75^\circ/\text{s}$. As a consequence, Young participants allowed $\dot{\theta}$ values to vary within bounds distant of $1^\circ/\text{s}$ whereas Middle-aged participants allowed $\dot{\theta}$ values to vary within bounds distant of $3^\circ/\text{s}$. Taken together, these results demonstrate that participants punctually controlled their velocity when the values of $\dot{\theta}$ exceeded some bounds, otherwise the values of $\dot{\theta}$ gradually drifted. This principle allowed participants to keep $\dot{\theta}$ values constant within a window. Because the amplitude spreading the bounds of the windows differed with Groups, these results suggest that these windows or bounds can feature some perceptual thresholds, which could be damaged with ageing.

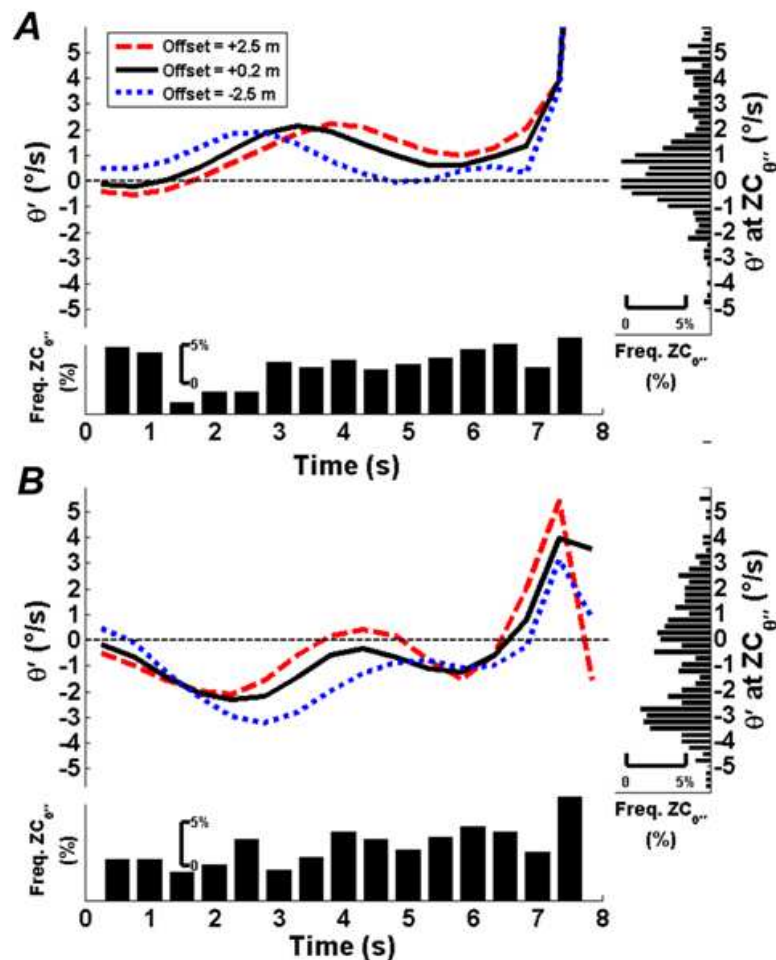


Figure 52 : Time-course over trial time of the bearing angle's first derivative ($\dot{\theta}$, in $^\circ/\text{s}$) averaged across participants and Environment Conditions in the three Offset conditions (in dotted, plain and dashed lines for the -2.5 , $+0.2$ and $+2.5\text{ m}$ offset conditions, respectively) for the two Groups of participants (Panel A and B for Young and Middle-aged participants, respectively). Histograms below the X-axis depict the time (binned each 0.5 s) at which the second derivative of the bearing angle ($\ddot{\theta}$) crossed zero ($ZC_{\dot{\theta}}$). Histograms on the right depict the values of $\dot{\theta}$ (binned each $0.1^\circ/\text{s}$) when $ZC_{\dot{\theta}}$ occurred in individual $\dot{\theta}$ profiles.

Subsequent analyses were based on systematic comparisons between the mean velocity profiles produced by each group of participants and the best fitting numerical simulations provided by the CBA model (Equation 1). Table 2 summarizes the best-fitting set of parameters (k_1 , k_2) and best goodness-of-fit criteria (R^2 , SSE) found for each group of participants and for each Environment and Offset conditions. These analyses reveal that the numerical simulations of the CBA model provide a good account of the velocity profiles produced by Young participants in all conditions ($R^2 > 0.82$) (see Table 2 and Figure 53). Conversely, they failed to approximate the regulation behavior exhibited by Middle-aged participants ($R^2 < 0.69$). In particular, it appears that the current version of the CBA model cannot account for their non-gradual velocity profiles.

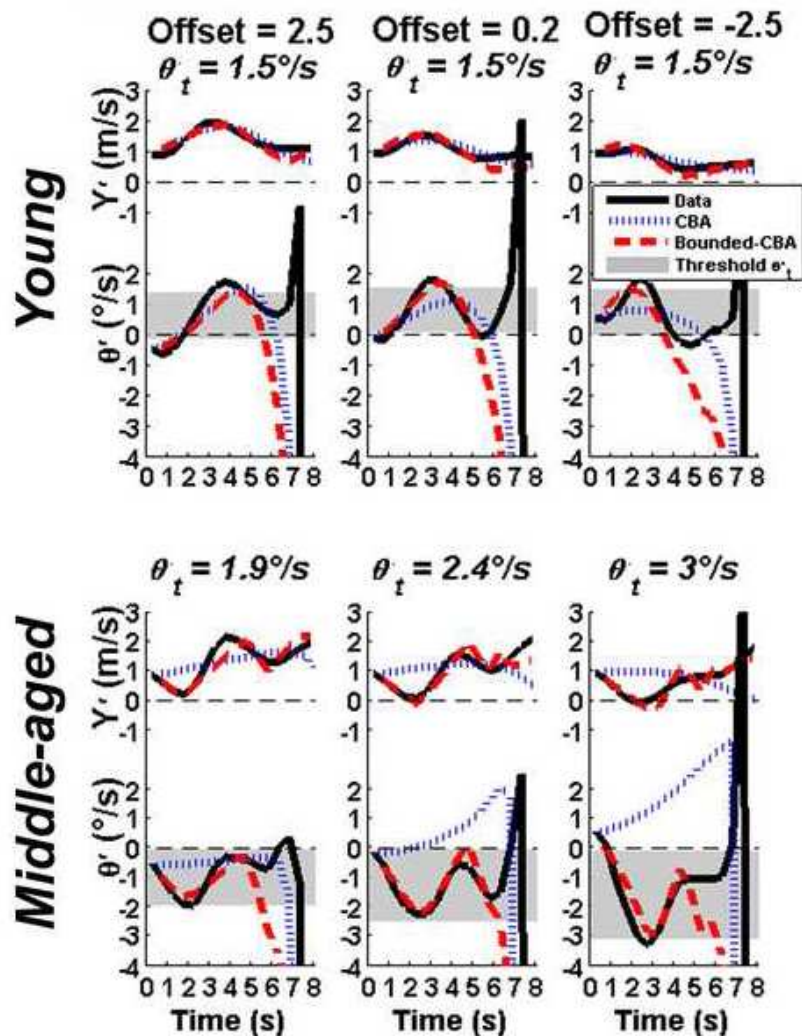


Figure 53 : Average observed velocity (\dot{Y}) and corresponding first derivative of the bearing angle ($\dot{\theta}$) (plain lines) and best fitting numerical simulations provided by the CBA (dotted line) and “Bounded-CBA” models (hatched line) for the two Groups of participants (Young, Middle-aged) in the three offset conditions (-2.5, +0.2 and +2.5 m) for the *Empty* environment condition. The perceptual thresholds providing the best fit ($\dot{\theta}_t$) are include in title.

Table 2 : Best-fitting set of parameters (including k_1 , k_2 and the perceptual threshold $\dot{\theta}_i$, expressed in $^\circ/s$) and goodness-of-fit criterions (R^2 and Sum of Squared Errors (SSE) expressed in m^2/s^2) found for each model (CBA and “bounded-CBA”) and each group (Young, Middle-aged) in the different Environment conditions (*Full, Ground, Landmark* and *Empty*) and in the three Offset conditions (-2.5, +0.2 and +2.5 m). Empty gray cells indicate that $\dot{\theta}_i$ is not taken into account in the CBA model. Goodness-of-fit criterions were evaluated on the 0-7 s trial duration.

			Young			Middle-aged			
			$k_1 = -0.40 \quad k_2 = 0.30$			$k_1 = -0.10 \quad k_2 = 0.10$			
	Environment	Offset	$\dot{\theta}_i$	R^2	SSE	$\dot{\theta}_i$	R^2	SSE	
	CBA	Full	-2.5		0.94	0.22		fail	7.95
Full		+0.2		0.94	0.25		fail	5.32	
Full		+2.5		0.96	0.34		0.63	4.10	
Ground		-2.5		0.95	0.20		fail	8.16	
Ground		+0.2		0.93	0.30		0.19	4.67	
Ground		+2.5		0.95	0.32		0.62	5.78	
Landmark		-2.5		0.82	0.28		fail	7.66	
Landmark		+0.2		0.91	0.21		fail	5.70	
Landmark		+2.5		0.86	0.57		0.67	4.11	
Empty		-2.5		0.87	0.22		fail	7.38	
Empty		+0.2		0.85	0.33		fail	5.20	
Empty		+2.5		0.87	0.54		0.69	3.47	
<i>Mean (\pm std)</i>				<i>0.90</i> (± 0.05)	<i>0.31</i> (± 0.12)		<i>0.56</i> (± 0.21)	<i>5.79</i> (± 1.63)	
Bounded-CBA		Environment	Offset	$k_1 = -0.60 \quad k_2 = 0.60$			$k_1 = -0.45 \quad k_2 = -0.05$		
	Full	-2.5	1.5	0.87	0.56	1.9	0.63	2.26	
	Full	+0.2	1.5	0.93	0.48	2.4	0.84	1.67	
	Full	+2.5	1.5	0.96	0.35	3	0.95	0.73	
	Ground	-2.5	1.5	0.85	0.64	1.9	0.85	1.24	
	Ground	+0.2	1.5	0.92	0.50	2.4	0.86	1.69	
	Ground	+2.5	1.5	0.97	0.29	3	0.95	1.26	
	Landmark	-2.5	1.5	0.96	0.46	1.9	0.85	1.23	
	Landmark	+0.2	1.5	0.94	0.61	2.4	0.79	2.04	
	Landmark	+2.5	1.5	0.90	0.56	3	0.95	0.75	
	Empty	-2.5	1.5	0.97	0.33	1.9	0.90	0.80	
	Empty	+0.2	1.5	0.92	0.68	2.4	0.87	1.32	
	Empty	+2.5	1.5	0.89	0.57	3	0.88	1.49	
	<i>Mean (\pm std)</i>			<i>1.5</i>	<i>0.92</i> (± 0.04)	<i>0.50</i> (± 0.13)	<i>2.43</i> (± 0.47)	<i>0.86</i> (± 0.09)	<i>1.37</i> (± 0.49)

It is worth noting that the CBA model is based on very simple control architecture and presents a number of shortcomings from a neuro-physiological point of view. For instance, according to the CBA model, the participant is supposed to cancel any change in bearing angle whatever the magnitude of these changes. This appears as a major limitation for generalizing the model to older populations because the perceptual thresholds are known to increase with ageing (Andersen & Enriquez, 2006; Tran et al., 1998; Warren et al., 1989). Adding a perceptual threshold in the perception of the rate of change in the bearing angle could therefore constitute a good way to improve the CBA model and to account for the jerky behavior produced by Middle-aged participants.

This led us to revise the initial formulation of the CBA model (Equation 1) and to propose a “Bounded-CBA” model (Equation 2). The “Bounded-CBA” rests on a new, neuro-physiologically grounded, control architecture that comprises two modes. According to this model, the “control” mode gives rise to a behavioral adaptation in velocity each time the rate of change of the bearing angle is greater than a threshold in perceiving $\dot{\theta}$ (thresholds values were deduced from the analyses reported in Figure 52). Conversely, the “drift” mode is used when angular changes do not exceed the given threshold, and consequently the system maintains the previous velocity until it gets greater than the given threshold, and so on. More precisely, in the “Bounded-CBA” model, the ratio between the current value of the rate of change in bearing angle $\dot{\theta}$ and an assumed perceptual threshold $\dot{\theta}_t$ in perceiving angular change of the bearing angle acts as a switch function that alternatively activates the “control” and “drift” modes. When the absolute value of the ratio $\dot{\theta}/\dot{\theta}_t$ exceeds 1, then the acceleration of the participant (\ddot{Y}) is driven by the rate of change in bearing angle and the damping of the system. If the absolute value of the ratio $\dot{\theta}/\dot{\theta}_t$ is less than 1, then the simulated acceleration (\ddot{Y}) continues to be gradually driven by the acceleration prescribed at $t - 1$.

$$\ddot{Y} = \begin{cases} k_1 \times \frac{1}{1 + 200 \times e^{(-10 \times \dot{\theta})}} \times \dot{\theta} + k_2 \times \dot{Y}, & \text{if } |\dot{\theta}/\dot{\theta}_t| > 1 \\ \ddot{Y}_{t-1}, & \text{if } |\dot{\theta}/\dot{\theta}_t| < 1 \end{cases} \quad (\text{Equation 2})$$

According to this new “Bounded-CBA” model architecture, for a given set of initial conditions, higher perceptual thresholds should give rise to jerky velocity changes, while low

thresholds should give rise to smooth regulations (Figure 54). A best-fitting procedure identical to the one used for the CBA model was applied to the “Bounded-CBA” model. The parameter k_1 was varied from -0.95 to 0 in increments of 0.05 and k_2 from -0.1 to 0.95 in increments of 0.05 to solve Equation 2. Moreover we also included a search on the perceptual threshold parameter ($\dot{\theta}_t$) ranging from 0°/s to 4°/s with 0.1°/s increments. The best fitting sets of k_1 , k_2 and $\dot{\theta}_t$ values identified in the four Environments and three Offset conditions for the two groups are reported in Table 2. Interestingly, the best perceptual thresholds values accounting for the regulation behavior of both Middle-aged and Young participants greatly differed (2.5 vs. 1.5°/s), but they did not vary very much across the environment conditions. Moreover, numerical simulations of the “Bounded-CBA” model showed that for Middle-aged participants, perceptual thresholds values changed with the Offset conditions (1.4, 2.9 and 3°/s for the -2.5, +0.2 and 3 m Offset conditions).

Figure 53 shows the best-fitting numerical simulations provided by the “Bounded-CBA” model (Equation 2) for each group of participants and Offset conditions in the *Empty* Environment. Contrary to the original CBA model, the “Bounded-CBA” model provides a good account of the velocity profiles not only for Young participants but also for the Middle-aged participants in all conditions (R^2 mean values > 0.85 and $>$ to 0.63 , for Young and Middle-aged participants, see Table 2).

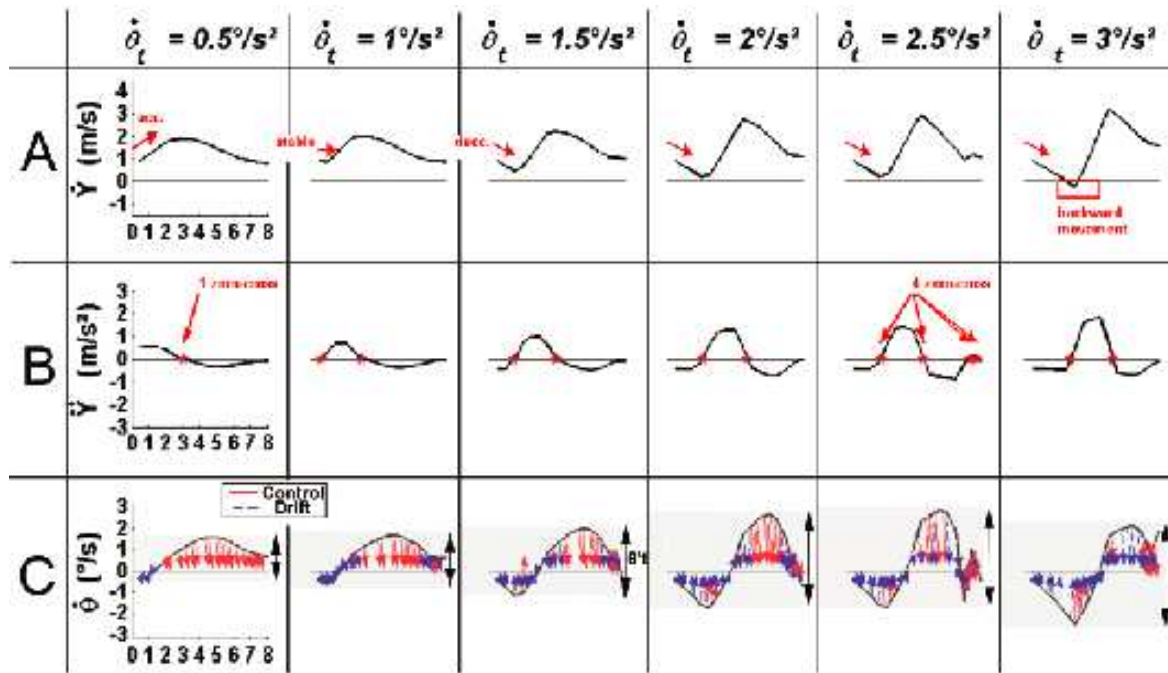


Figure 54 : Numerical simulations of the displacement velocity (\dot{Y} , in m/s, Panel A), the corresponding acceleration (\ddot{Y} , in m/s, Panel B) and the rate of change of the bearing angle ($\dot{\theta}$, in $^{\circ}/s$, Panel C) provided by the “Bounded-CBA” model when setting the $\dot{\theta}_t$ boundaries from 0.5 to 3 $^{\circ}/s$ by 0.5 $^{\circ}/s$ steps (from left to right, respectively). Note that initial conditions, k_1 and k_2 parameters remain unchanged in the six simulations. (Panel A) Whereas a $\dot{\theta}_t$ value set at 0.5 $^{\circ}/s$ induces an initial acceleration, increasing the $\dot{\theta}_t$ value to 1 $^{\circ}/s$ induces a stable initial velocity. Setting the $\dot{\theta}_t$ value to 1.5 $^{\circ}/s$ or higher produces an initial deceleration. Finally, critical $\dot{\theta}_t$ values (up to 3 $^{\circ}/s$) produce not only initial deceleration but also backward displacement. Manipulating only the $\dot{\theta}_t$ value can thus mimic the velocity profiles shown by either Young and Middle-aged participants. (Panel B) The number of zero-crossing of simulated displacement acceleration increases with the $\dot{\theta}_t$ value in a given time. Critical $\dot{\theta}_t$ values (up to 3 $^{\circ}/s$) induce less zero-crossing due to the limited time of simulation. (Panel C) The arrows depict the influence of the two different modes of control that compete in the “Bounded-CBA” model. Red arrows depict a classical control of velocity slaved by the rate of change of the bearing angle. This mode of control occurs punctually when the current value of $\dot{\theta}$ exceeds the assumed perceptual $\dot{\theta}_t$ threshold. Blue arrows represent a second mode of control, called drift, during which the velocity drift until the current value of $\dot{\theta}$ is above the $\dot{\theta}_t$ threshold. The combined influences of both modes of control (“control” and “drift”) tend to cancel $\dot{\theta}$. As the $\dot{\theta}_t$ values increases, the balance between the two modes of control tends to become more equally distributed.

DISCUSSION

We used a virtual reality set-up to to assess the effect of age in the control of self-displacement while intercepting moving balls. The two groups of participants (Young, Middle-aged) could be differentiated according to the errors they produced while attempting

to intercept the moving ball, but also according to their displacement kinematics. Young participants reached the impact location with greater accuracy than the Middle-aged participants. Moreover, while the Young participants produced smooth displacements whatever the experimental conditions, the Middle-aged participants exhibited jerkier displacements. While being able to explain the regulation behavior of Young participants, the CBA model failed to explain the behavior observed by the Elders. Interestingly however, adding adjusted perceptual thresholds in the numerical simulations allowed the model to provide a good account of the behavior produced by the two groups of participants in all environment conditions.

Confirmation of previous studies

The majority of the studies devoted to the understanding of the perceptual-motor mechanisms underlying the control of interceptive actions are derived from studies performed on young and healthy adults (e.g., Bastin et al., 2008; Chardenon et al., 2004; Fajen & Warren, 2004; Lenoir et al., 2002). The results obtained with our Young group are in perfect agreement with the results obtained in these studies. Young participants maintained their high level of performance across the different environment conditions, with smooth velocity adjustments distributed over the entire trial duration. Moreover the Constant Bearing Angle model provided a very good account of these adaptations. The ability of Young participants to maintain their level of performance, even in the more impoverished environment condition, confirms that extra-retinal signals allow the participants to detect the rate of change in bearing angle (Bastin et al., 2006a; Bastin & Montagne, 2005). Including Middle-aged individuals in the present study allows us to determine the effect of a degradation in the processing of visual and non-visual signals on the interception performance.

The influence of ageing

The overall decrease in performance exhibited by Middle-aged participants is in agreement with the results obtained in previous studies (Spirduso & McRae, 1990); however, these studies have not assessed performance in different visual environments. The present study reveals that the type of environment in which the virtual displacements occurred has an influence on the elders' performance. Remarkably, the condition allowing them to have

access to the three types of manipulated perceptual variables (i.e., the *Full* condition) gave rise to the best performance level. Various studies have shown that ageing is accompanied by a deterioration of motion detection and perception thresholds (Andersen & Enriquez, 2006; Morgan & King, 1995; Tran et al., 1998; Warren et al., 1989; Zhang et al., 2008), especially for translational motion as in the present study (Billino et al., 2008). It is then reasonable to hypothesize that the detection of the rate of change in bearing angle is easier when redundant information is available. In addition to their failure to intercept the moving ball with the same accuracy as the young adults, the Middle-aged participants clearly exhibited jerkier motion regulation than the Young participants, irrespectively of the environment conditions. We presume that the decline in pure motor functions that is generally observed with ageing (e.g., muscular power, Voelcker-Rehage, 2008) cannot account for these decline in elders' performance, as our virtual reality interceptive task put little motor constraints on the participants. The decrease performance of Middle-aged participants in the present study more likely resulted from the slowing of information processing that is generally observed with ageing (Salthouse, 2000; Welford, 1988) and the increase motion detection and perception thresholds reported above. In accord with this hypothesis, adding a perceptual threshold in a Bounded version of the CBA model allowed the model to both qualitatively and quantitatively better fit the Middle-aged participants' behavior. It is worth noting that the values of perceptual thresholds determined from average participant's data as well as the values that provided the best fits consistently showed two relevant results. First, a reduced sensitivity to detection of changes in bearing angle was shown for Middle-aged participants. Indeed, Middle-aged adults presented larger range of thresholds than young adults ($\sim 3^\circ/s$ and $\sim 1^\circ/s$, respectively). Values were found to be similar to those already identified in several psychophysical studies which explored the effect of aging on motion detection, motion perception, angular velocity detection and speed discrimination thresholds of target or vehicle (Bowman & Brown, 1989; Brenner & van den Berg, 1996; McKee & Nakayama, 1984; McKee, Silverman, & Nakayama, 1986; Snowden & Kavanagh, 2006). Moreover visual sensitivity to detection of changes in bearing angle was found to be lower for larger initial retinal eccentricity of the ball that had to be intercepted¹⁸, especially for Middle-aged participants. Such effect of the eccentricity of targets was already observed in the literature (Bowman & Brown, 1989; Fahle & Wehrhahn, 1991; Monaco, Kalb, & Johnson, 2007).

¹⁸ In our study, eccentricity was equal to 30.65, 26.28 and 23.38° regarding to the axis of displacement in the -2.5, +0.2 and +2.5 m offset conditions, respectively

CBA and “Bounded-CBA” models

One of the objectives of the present work was to question the relevance of the constant bearing angle model in accounting for the regulation behavior of Young and Middle-aged participants. One strength of this model is the simplicity of the underlying architecture which links the perceptual information (the rate of change in bearing angle) to an action parameter (the displacement acceleration) with a damping term indexed to the displacement velocity (Equation 1). While the CBA model has been shown to account for the regulation behavior of Young participants in a very wide range of experimental conditions, the present study challenged the CBA model with Middle-aged participants, presumably presenting neurophysiological deteriorations due to aging. This study shows that a CBA-like model can account for the regulation behavior of Middle-aged participants, provided the architecture of the model incorporates an additional constraint, neurophysiologically grounded. Indeed, adding a perceptual thresholds-like parameter to the CBA model allowed the model to account for the difficulties encountered by the participants to detect the changes in bearing angle (Equation 2).

CONCLUSION

This study supports the status of the constant bearing angle strategy as a perceptual-motor principle being able to account for the regulation behavior of participants that are characterized with large individual differences and moving in different visual environments. It also illustrates the flexibility of our perceptual systems which provide redundant degrees of freedom allowing the same task to be performed with a good accuracy, whatever the sources of information available. Finally, combining behavioral organizational principles (i.e., CBA strategy) with neurophysiological constraints (i.e., perceptual threshold) is in accord with the increasing trend of the scientific community to propose models that are physiologically grounded.